

Automated Wildfire Forecasting in the Continental US

Funded by California Energy Commission (CEC# EPC-18-026) and US National Institute of Standards and Technology (70NANB20H118)

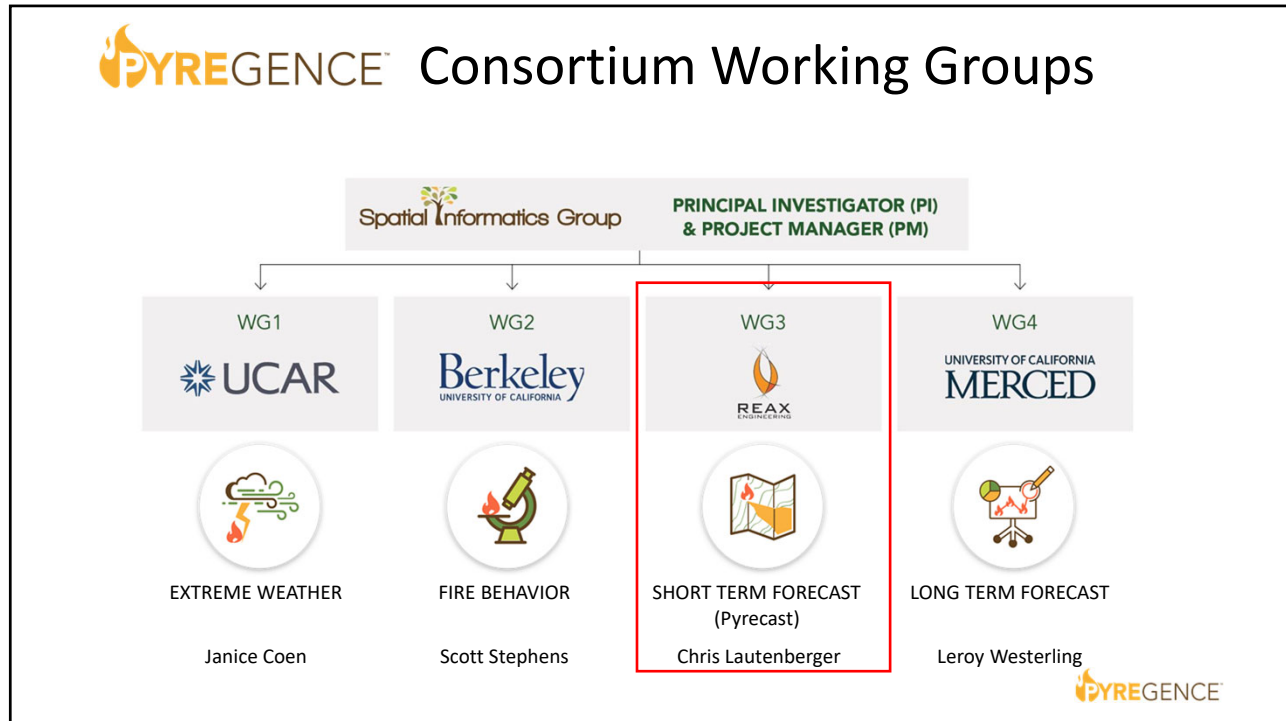


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PYREGENCE Consortium Working Groups



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Outline

- Part 1 – Pyrecast intro & usage
- Part 2 – Under the hood
- Discussion / Q&A




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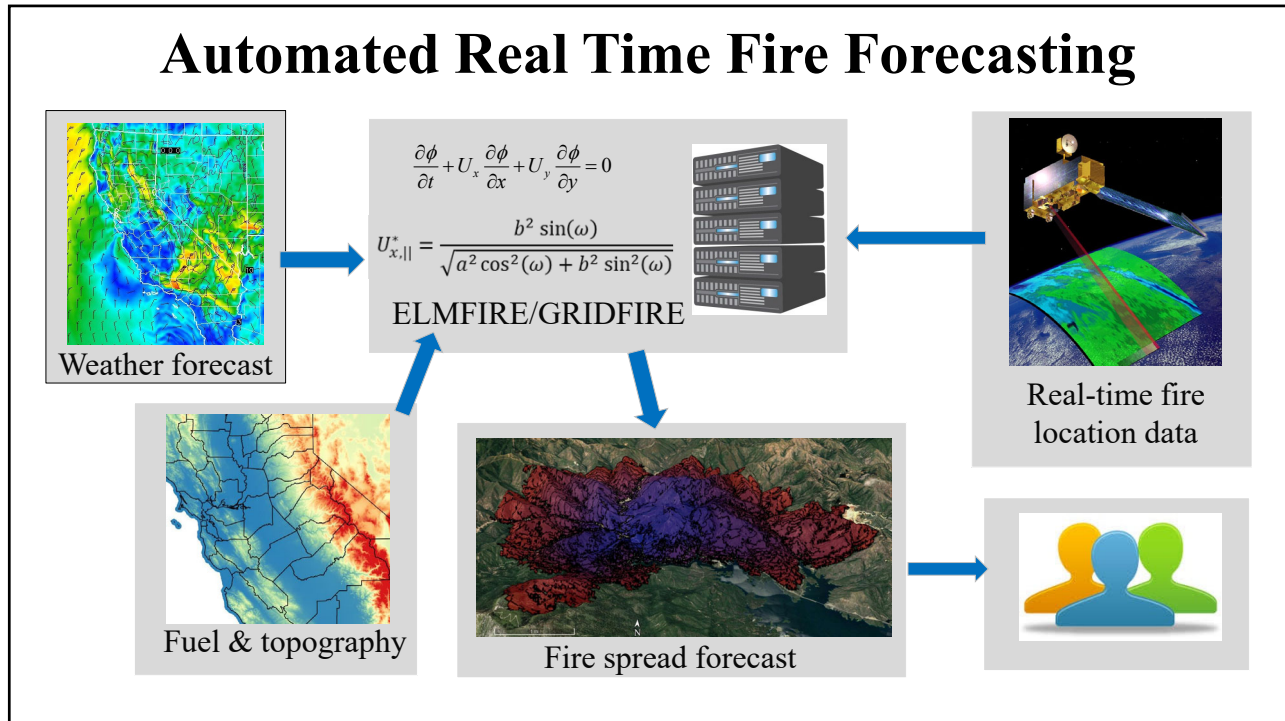
Part 1:
Pyrecast intro & usage

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Part 2:
Under
the hood

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Fuel & Topography Inputs

Fuel & Topo	Source	Coverage	Resolution	Native quantities	Derived quantities
	Pyrologix CA 2022 Fuelscape*	CA	30 m		
LANDFIRE 2020 Update (LF 2.2.0)†	CONUS	30 m			
California Forest Observatory 2020 / 2022	CA	10 m			
Center for Ecosystem Climate Solutions 2021	CA	10 m			

* Default in CA
† Default outside of CA

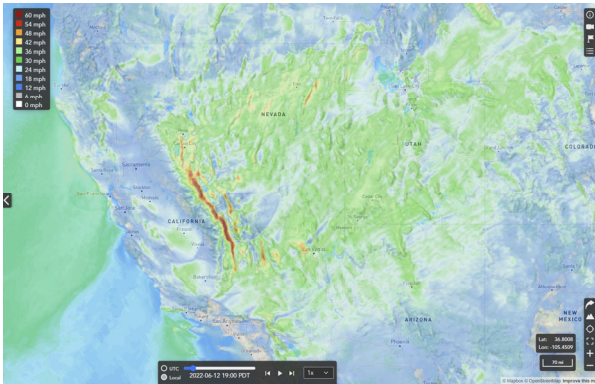
Canopy cover (LANDFIRE 2.2.0)

Canopy Cover (CFO 2020)

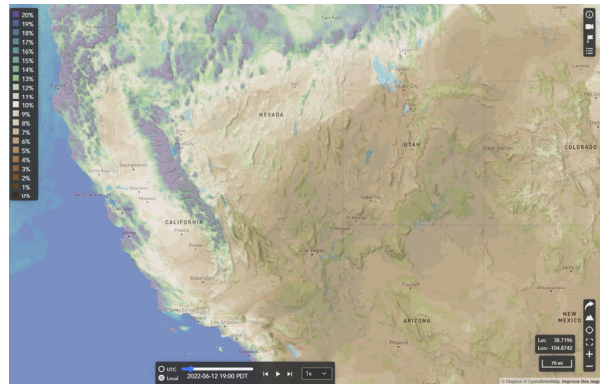
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Weather Inputs

Weather	Model	Resolution		Forecast duration	Cycles / day	Native quantities	Derived quantities
		Spatial	Temporal				
	High Resolution Rapid Refresh (HRRR)	3 km	1 hr	2 day	4	Relative humidity, temperature, precipitation, solar fluxes, wind speed, wind direction, wind gust	Fosberg Fire Weather Index, Hot Dry Windy Index, dead fuel moisture by size class, NFDRS indices
	North American Mesoscale Model (NAM)	3 km	1 hr	2.5 day	4		
	Global Forecast System (GFS)	0.125 °	1-3 hr	16 day	4	Same as above	Live fuel moisture (herbaceous & woody)
	Real Time Mesoscale Analysis (RTMA)	2.5 km	hourly	Real time	-		



Wind gust (native quantity)



Fine dead fuel moisture (derived quantity)

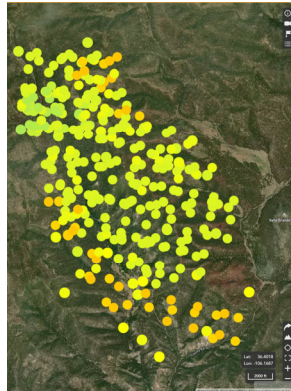
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Near Real-time Fire Inputs

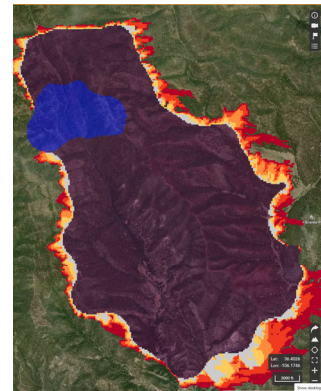
Near real time fire	Data source	Resolution		Native quantities	Derived quantities
		Spatial	Temporal		
	CALFIRE incidents feed	-	Real-time	Named fire locations	Fire progression polygons
	NIFC large fires feed	-	Daily		
	NASA FIRMS - Terra/Aqua - MODIS	1 km	12 hr	Satellite-based hot spots	
	NASA FIRMS - Suomi NPP / NOAA 20 - VIIRS	375 m	12 hr		
	Wildland Fire Interagency Geospatial Services (WFIGS) perimeters	~30 m	1-2 days	Fire perimeter polygons	



WFIGS perimeter



Satellite hot spots



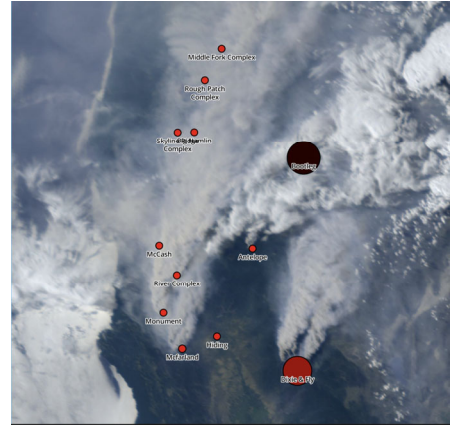
Fire progression polygon

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Real-time Situational Awareness



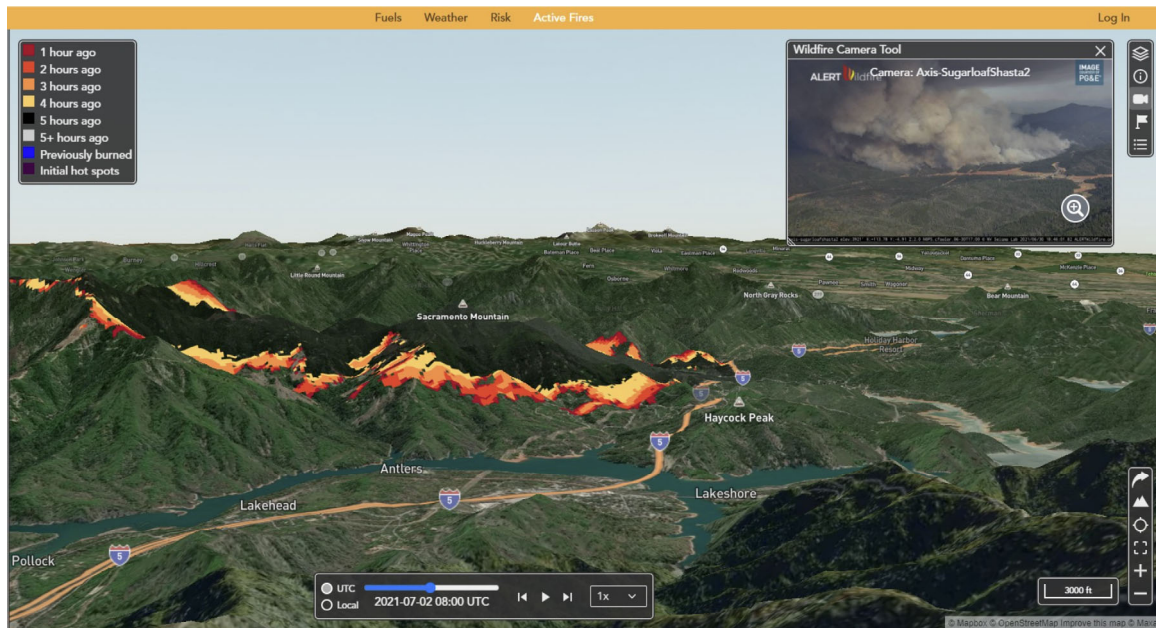
Alert Wildfire camera feeds



GOES-16 Imagery

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Real-time Situational Awareness



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Computational Models

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Ensemble Fire Forecasts

- Multiple simulations are run with model inputs perturbed from baseline values, *e.g.*
 - Wind speed and direction
 - Fuel moistures
 - Spotting parameters
- Animation to the right is a series of 24-hour fire spread forecasts condensed to 2 seconds
- Fires size percentiles are determined from modeled fire area at end of forecast period



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ELMFIRE

- Eulerian Level Set Method for Fire Spread
- <https://github.com/lautenberger/elmfire>
- <https://elmfire.io>



Wildland fire modeling with an Eulerian level set method and automated calibration

Chris Lautenberger*

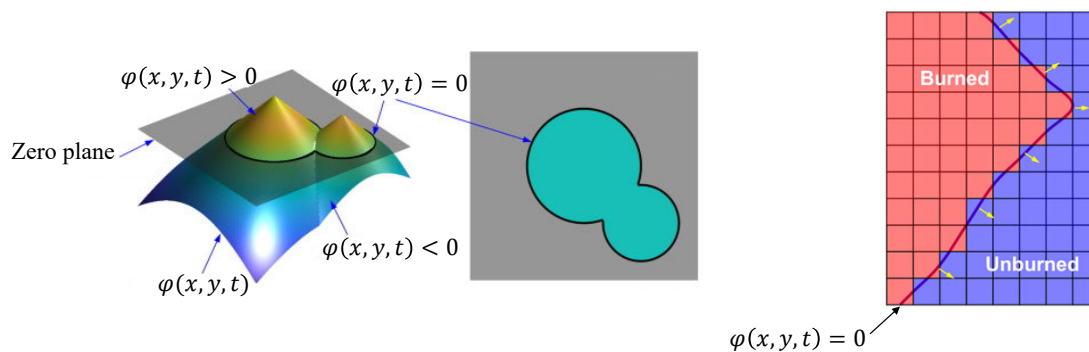
Reax Engineering Inc., 1921 University Ave., Berkeley, CA 94704, United States



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Eulerian Level Set Method

- Level set methods are a class of numerical techniques to track surfaces, shapes, or interfaces
- Eulerian: fixed frame of reference such as a grid
- Eulerian level set methods work by solving a partial differential equation (PDE) for the dependent variable ϕ
- ϕ has no physical meaning except when $\phi = 0$, which is the interface being tracked
- In ELMFIRE, $\phi = 0$ is the contour that separates unburned from burned or burning fuel



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Eulerian Level Set Method

- ϕ field is calculated by numerically integrating a hyperbolic PDE of the form:

$$\frac{\partial \phi}{\partial t} + U_x \frac{\partial \phi}{\partial x} + U_y \frac{\partial \phi}{\partial y} = 0$$

- U_x and U_y are calculated using the Rothermel model and Huygens principle – more later
- Fire front spreads only in direction perpendicular to itself as given by the unit normal vector \hat{n} :

$$|\nabla \phi| = \sqrt{\left(\frac{\partial \phi}{\partial x}\right)^2 + \left(\frac{\partial \phi}{\partial y}\right)^2}$$

$$\hat{n} = \frac{1}{|\nabla \phi|} \left(\frac{\partial \phi}{\partial x} \hat{i} + \frac{\partial \phi}{\partial y} \hat{j} \right) = n_x \hat{i} + n_y \hat{j}$$

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Rothermel Surface Spread Model (1972)

- For ~50 years, has been used to calculate surface fire spread rate in the US. Used by all 2D operational fire spread models in the US

$$V_s = \frac{I_R \xi (1 + \phi_w + \phi_s)}{\rho_b \varepsilon Q_{ig}}$$

V_s : Surface fire spread rate (m/s)

I_R : Reaction intensity (kW/m²)

ξ : Propagating flux ratio (-)

ϕ_w : Wind coefficient (-)

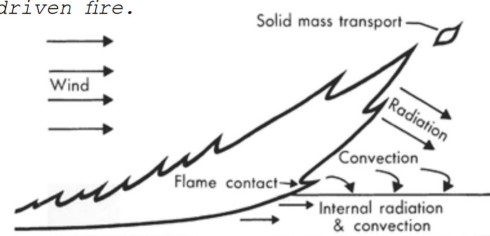
ϕ_s : Slope coefficient (-)

ρ_b : Bulk density (kg/m³)

ε : Heating number (-)

Q_{ig} : heat of preignition (kJ/kg)

Figure 3.--Schematic of wind-driven fire.

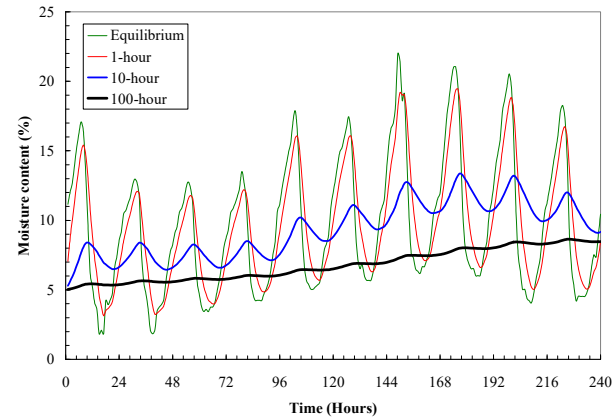
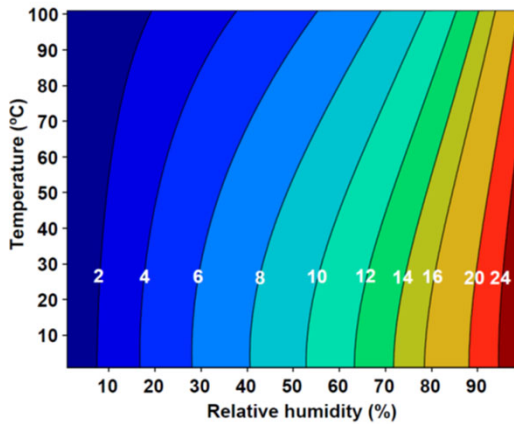


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Dead Fuel Moisture

- In the case of no precipitation, for simplicity:

$$\frac{dM}{dt} = \frac{M_{eq} - M}{\tau_c}$$

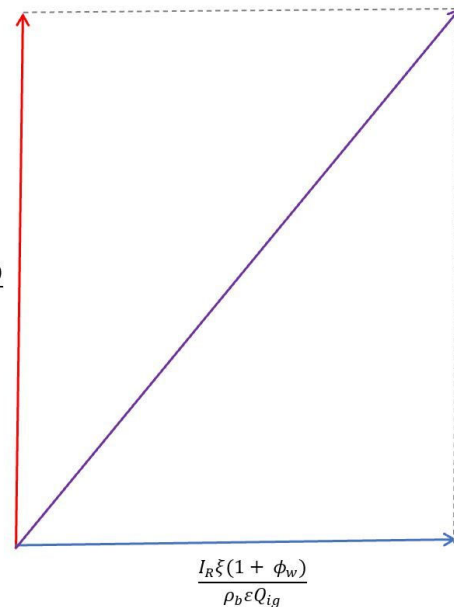


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Vectoring the Rothermel Model

- Rothermel model gives spread rate only in direction of maximum spread, which is a function of the relative magnitudes of ϕ_s and ϕ_w
- Example for cross slope wind with wind out of West blowing across fireline on a South facing slope shown to right

$$\frac{I_R \xi (1 + \phi_s)}{\rho_b \epsilon Q_{ig}}$$



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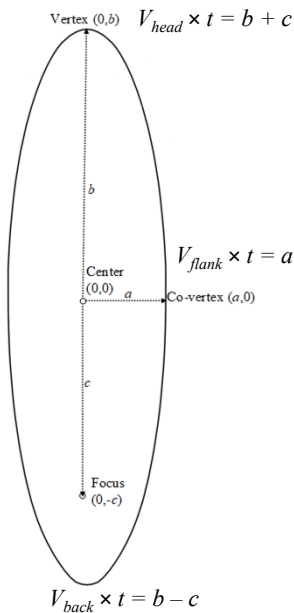
Elliptical Dimensions



- Since Rothermel only gives spread rate in the direction of maximum spread, mathematical properties of ellipses are used to infer spread rate in other directions
- This is called Huygens principle, originally applied to light propagation
- Every point along the fireline behaves as an independent elliptical wavelet

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Elliptical Dimensions



Length to width ratio

$$\frac{L}{W} = \min[0.936 \times \exp(0.2566U_{mf}) + 0.461 \times \exp(-0.1548U_{mf}) - 0.397, 8]$$

or

$$\frac{L}{W} = 1 + 0.125u_{H+20}$$

Backing and flanking spread rates

$$\frac{V_{head}}{V_{back}} = \frac{b+c}{b-c} = \frac{\frac{L}{W} + \sqrt{\left(\frac{L}{W}\right)^2 - 1}}{\frac{L}{W} - \sqrt{\left(\frac{L}{W}\right)^2 - 1}} \quad V_{flank} = \frac{1}{2} \frac{V_{head} + V_{back}}{L/W}$$

For algebraic convenience

$$A = \frac{1}{2} \frac{V_{head} + V_{back}}{L/W} \quad B = \frac{1}{2} (V_{head} + V_{back}) \quad C = \frac{1}{2} (V_{head} - V_{back})$$

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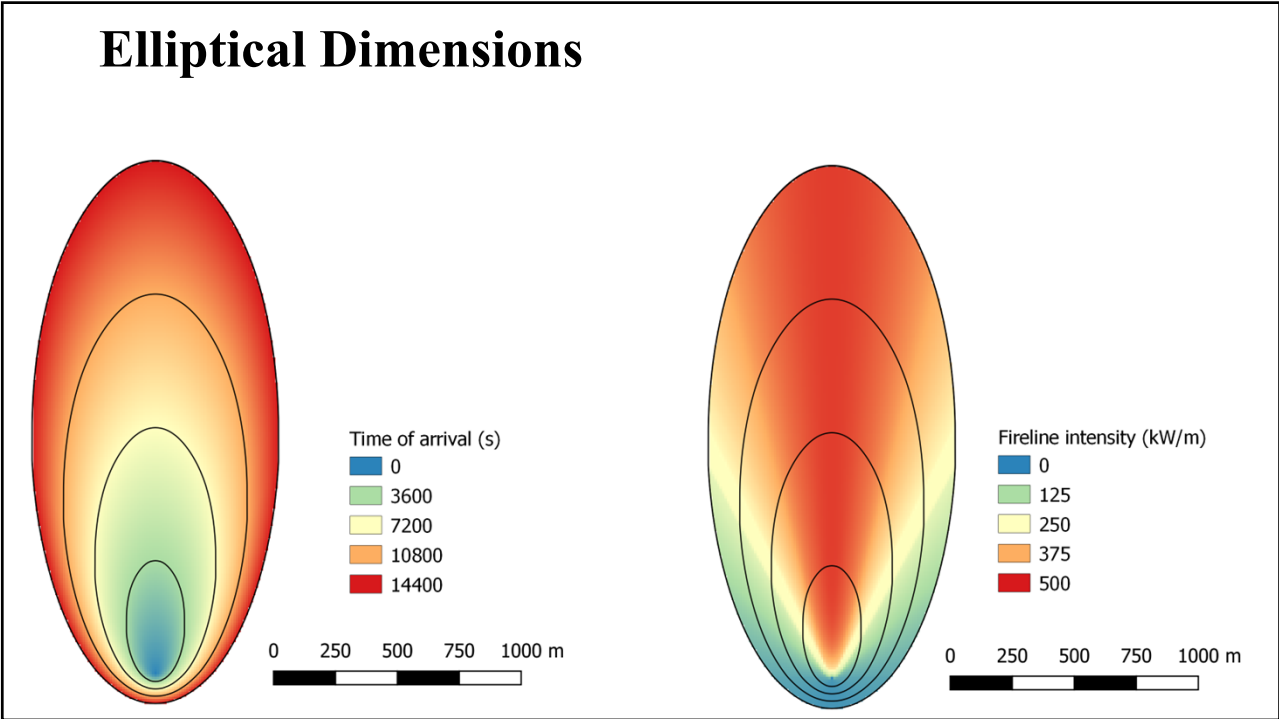
Elliptical Dimensions

$\omega = \theta_n - \theta_{DMS}$	Difference between angle normal to fire front and direction of maximum spread
$U_{x, } = \frac{B^2 \sin(\omega)}{\sqrt{A^2 \cos^2(\omega) + B^2 \sin^2(\omega)}} \quad U_{y, } = \frac{A^2 \cos(\omega)}{\sqrt{A^2 \cos^2(\omega) + B^2 \sin^2(\omega)}} + C$	x and y components of velocity in orthogonal coordinate system with y-axis aligned with direction of maximum spread
x and y components of velocity after solid body rotation to north-up y-axis	
$U_x = U_{y, } \times \sin(\theta_{DMS}) + U_{x, } \times \cos(\theta_{DMS})$	$U_y = U_{y, } \times \cos(\theta_{DMS}) - U_{x, } \times \sin(\theta_{DMS})$

$$\frac{\partial \phi}{\partial t} + U_x \frac{\partial \phi}{\partial x} + U_y \frac{\partial \phi}{\partial y} = 0$$

Level set equation

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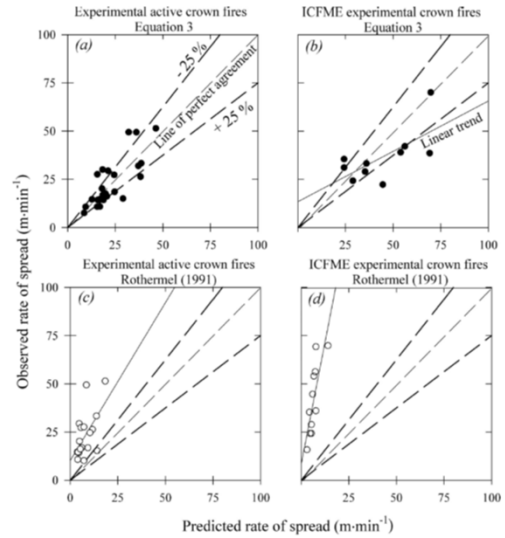
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Crown Fire Initiation & Spread Rate

Van Wagner crown fire initiation criterion with spread rate calculated by Cruz *et al.* [1]. Provides better agreement with observed crown fire spread rates than Rothermel 1991 [2].

$$V_c = 11.02U_{10}^{0.9} \times CBD^{0.19} \times \exp(-0.17M_1)$$

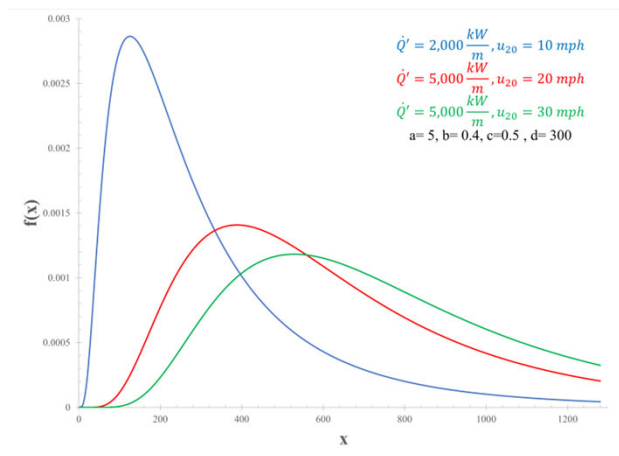
1. Cruz, M.G., Alexander, M.E., Wakimoto, R.H., "Development and testing of models for predicting crown fire rate of spread in conifer forest stands," *Canadian Journal of Forest Research* 35: 1626-1639 (2005).
2. Rothermel, R.C., "Predicting Behavior and Size of Crown Fires in the Northern Rocky Mountains," United States Department of Agriculture Forest Service, Intermountain Research Station, *Research Paper Int-438*, January 1991.



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Spotting

Lognormal distribution per Sardoy *et al.* "Numerical study of ground-level distribution of firebrands generated by line fires," *Combustion and Flame* 154: 478-488 (2008).



$$f(x) = \frac{1}{\sqrt{2\pi}\sigma x} \exp\left(-\frac{1}{2}\left(\frac{\ln x - \mu}{\sigma}\right)^2\right)$$

$$\mu = \ln\left(\frac{m^2}{\sqrt{v + m^2}}\right)$$

$$v = m \times d$$

$$m = a \times \dot{Q}'^b \times u_{20}^c$$

$$\sigma = \sqrt{\ln\left(1 + \frac{v}{m^2}\right)}$$

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